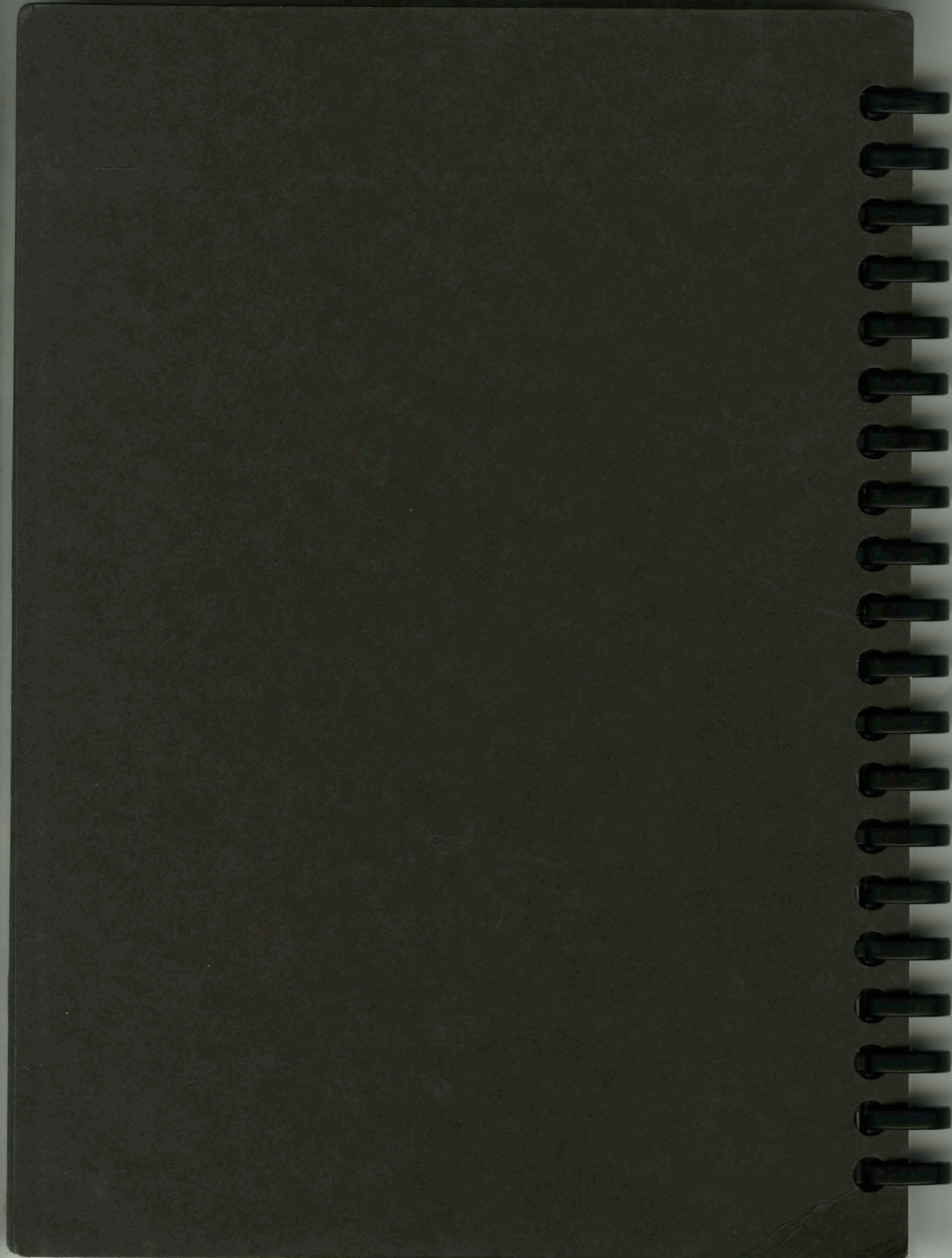


QUANTUM

FALL 2021



MATERIALS FOR LECTURE 1: FOUNDATIONS OF QR

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UNIT 4 SCHEDULE

WEEK 1

TUESDAY	LECTURE 1: FOUNDATIONS OF QUANTUM ROMANTICS Problem Set 4.1 assigned
THURSDAY	PROBLEM SESSION Problem Set 4.1 due

WEEK 2

TUESDAY	LECTURE 1 REVIEW LECTURE 2: TIME EVOLUTION IN QR Problem Set 4.1 peer corrections assigned Problem Set 4.2 assigned
THURSDAY	QUIZ 4.1 ON LECTURE 1 PROBLEM SESSION Problem Set 4.1 peer corrections due Problem Set 4.2 due

WEEK 3

TUESDAY	LECTURE 2 REVIEW LECTURE 3: ENTANGLEMENT IN QR Problem Set 4.2 peer corrections assigned Problem Set 4.3 assigned
THURSDAY	QUIZ 4.2 ON LECTURE 2 PROBLEM SESSION Problem Set 4.2 peer corrections due Problem Set 4.3 due

WEEK 4

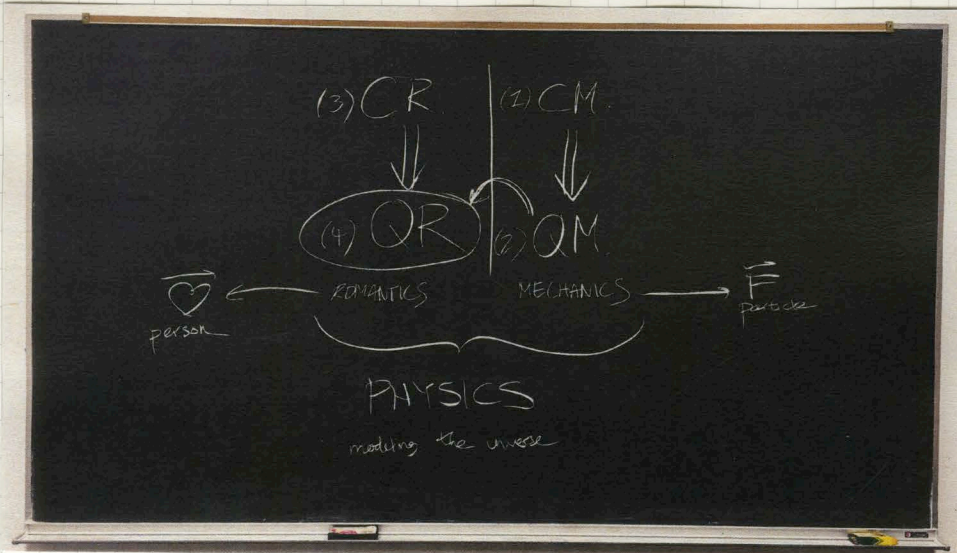
TUESDAY	UNIT 4 REVIEW Problem Set 4.3 peer corrections assigned
THURSDAY	UNIT 4 EXAM Problem Set 4.3 peer corrections due

LECTURE 1: FOUNDATIONS OF QUANTUM ROMANTICS

CONCEPTS, BASES, LQS (OPERATORS), PRINCIPLE PARADOXES

NOTES

I. INTRODUCTION:



QUANTUM ROMANTICS FOLLOWS AFTER CLASSICAL ROMANTICS,

QUANTUM MECHANICS FOLLOWS AFTER CLASSICAL MECHANICS.

ROMANTICS & MECHANICS ARE SUBFIELDS OF PHYSICS,

MODELING SPECIFIC BEHAVIORS OF THE UNIVERSE:

LOVE & DESIRE IN PERSONS, FORCE & MOTION IN PARTICLES.

QUANTUM ROMANTICS & QUANTUM MECHANICS SHARE MATHEMATICS,

WITH NOTABLE EXCEPTIONS.

NOTES.

II. CONCEPTUAL OVERVIEW.

QM.

SPIN

(classical) $\vec{\mu}$

$\hookrightarrow \mu_z = |\mu| \cos \theta$

$\hookrightarrow (|\mu|, \theta)$

ACTUAL: $\mu_z = \pm \frac{1}{2} \hbar$

\downarrow

spin- $\frac{1}{2}$

(NEW TO QM)

DISCRETE
FINITE

POSITION & MOMENTUM

(same as classical)

\vec{x} & \vec{p}

ACTUAL:

\hookrightarrow DISCRETE, FINITE

CANONICALLY
CONJUGATE. $\Delta x \Delta p \geq \frac{\hbar}{2}$

2.1 QM REVIEW.

SPIN IS NEW (NOVEL), RELATED TO MAGNETIC MOMENT.

SPIN HAS **FINITE** POSSIBILITIES OF **DISCRETE** VALUES.

MAGNETIC MOMENT SHOULD HAVE **INFINITE** POSSIBILITIES

WITHIN A **CONTINUOUS** RANGE OF VALUES,

BUT IS **FINITE** & **DISCRETE** IN REALITY. HENCE, SPIN.

POSITION & MOMENTUM ARE (RE)NEW(ED).

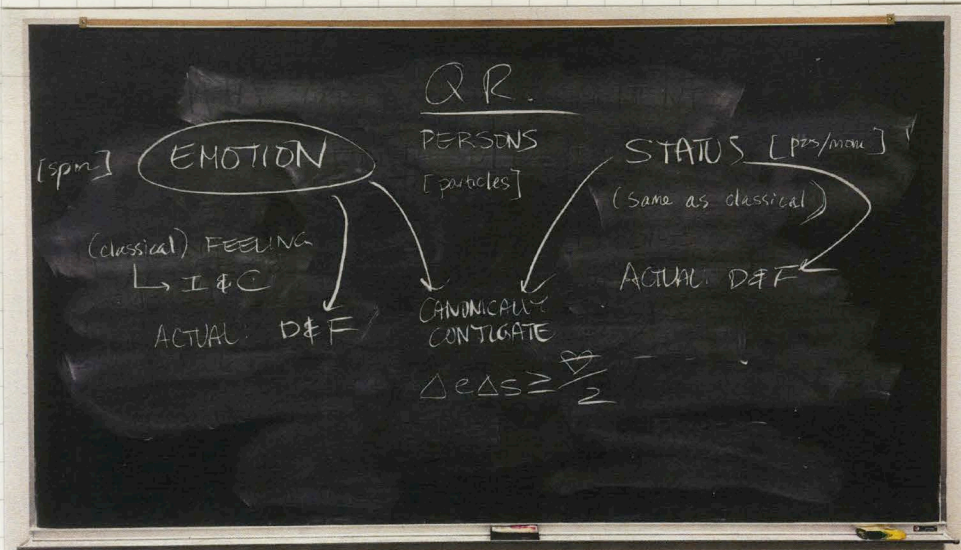
THE SAME CONCEPTS NOW HAVE **FINITE** POSSIBILITIES OF **DISCRETE** VALUES.

POSITION & MOMENTUM ARE CANONICALLY CONJUGATE:

SIMULTANEOUS KNOWLEDGE OF BOTH IS IMPOSSIBLE.

NOTES.

2.2 QM TO QR ANALOGY.



EMOTION IS NEW (NOVEL), RELATED TO FEELING.

EMOTION HAS **FINITE** POSSIBILITIES OF **DISCRETE** VALUES.

FEELING SHOULD HAVE **INFINITE** POSSIBILITIES

WITHIN A **CONTINUOUS** RANGE OF VALUES,

BUT IS **FINITE & DISCRETE** IN REALITY. HENCE, EMOTION.

STATUS IS (RE)NEW(ED).

THE SAME CONCEPT NOW HAS **FINITE** POSSIBILITIES OF **DISCRETE** VALUES.

EMOTION & STATUS ARE CANONICALLY CONJUGATE:

SIMULTANEOUS KNOWLEDGE OF BOTH IS IMPOSSIBLE.

NOTES.

2.3 ONTOLOGICAL CAUSALTY IN QM.

WHY ARE ALL MEASUREMENTS FINITE & DISCRETE?

1. ORIGIN

particles: D & F
↓
observables: D & F
by "nature"

2. POIESIS

particles: I & C
↓
process of creating
& discretizing
↓
observables: D & F
by PROCESS
(of constructing reality)

WHY IS REALITY **FINITE & DISCRETE**?

1. PARTICLES ARE **FINITE & DISCRETE** BY ORIGINAL NATURE.

2. PARTICLES EXIST IN AN **INFINITE** FIRMAMENT;

COMMUNICATION IS AN **INHERENTLY DISCRETIZING** PROCESS.

NOTES.

2.1 ONTOLOGICAL CAUSALITY IN QM

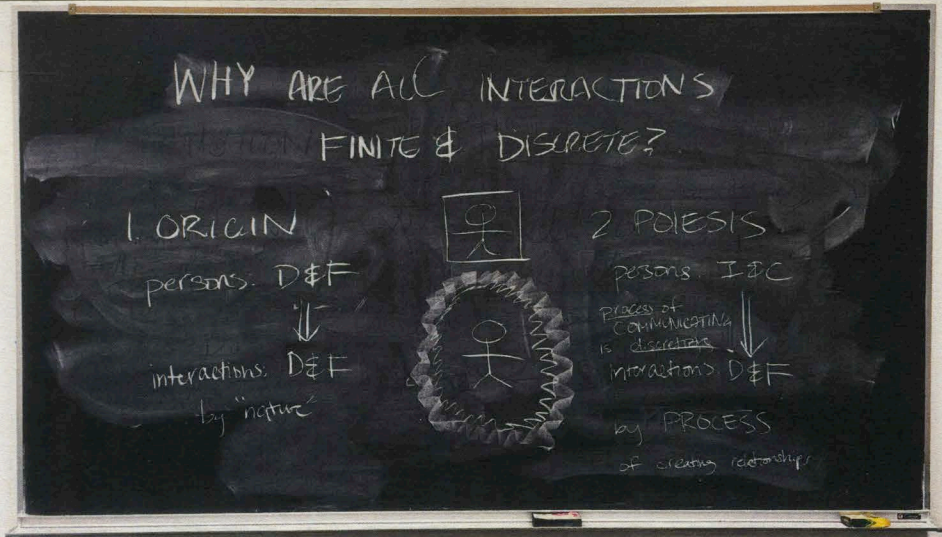
IS THE TOTALITY OF ALL CAUSAL EXPERIENCE

A CONTINUOUS & DIVERGENT TIME

ONLY INDEFINITELY DEFERRABLE

THROUGH DISCRETE & FINITE EXPERIMENTATION

2.4 ONTOLOGICAL CAUSALITY IN GR.



IS THE TOTALITY OF MY LIVED EXPERIENCE

A CONTINUOUS & INFINITE THING,

ONLY IMPERFECTLY EXPRESSIBLE

THROUGH DISCRETE & FINITE EXTERNALIZATIONS?

NOTES.

III. EMOT STATE BASES.

QM

spin- $\frac{1}{2}$ $|+\rangle$ $|-\rangle$
 $|\frac{1}{2}, +\frac{1}{2}\rangle$ $|\frac{1}{2}, -\frac{1}{2}\rangle$

spin-1: $||, 1\rangle$ $||, 0\rangle$ $||, -1\rangle$

higher spin, more bases

diff. particles, diff. spin.

$\neq (?)$

spin $\frac{1}{2}$ 1 2 3 4

QR

emot- $\frac{1}{2}$ $|\heartsuit\rangle$ $|\spadesuit\rangle$
 "LOVES ME" "LOVES ME NOT"

emot-1: $|\heartsuit\rangle$ $|\clubsuit\rangle$ $|\heartsuit\rangle$

"IT'S COMPLICATED"

higher emot, more SHADES OF COMPLICATION
 $|\heartsuit\rangle$ & $|\clubsuit\rangle$ always possible!

same $\frac{1}{2}$, diff. emot. values.

TEMPORAL MUTABILITY (T.O.C)

time t

FOR ALL EMOT VALUES, LOVES ME & LOVES ME NOT

ALWAYS FORM TWO ORTHOGONAL DIMENSIONS OF POSSIBLE MEASUREMENT.

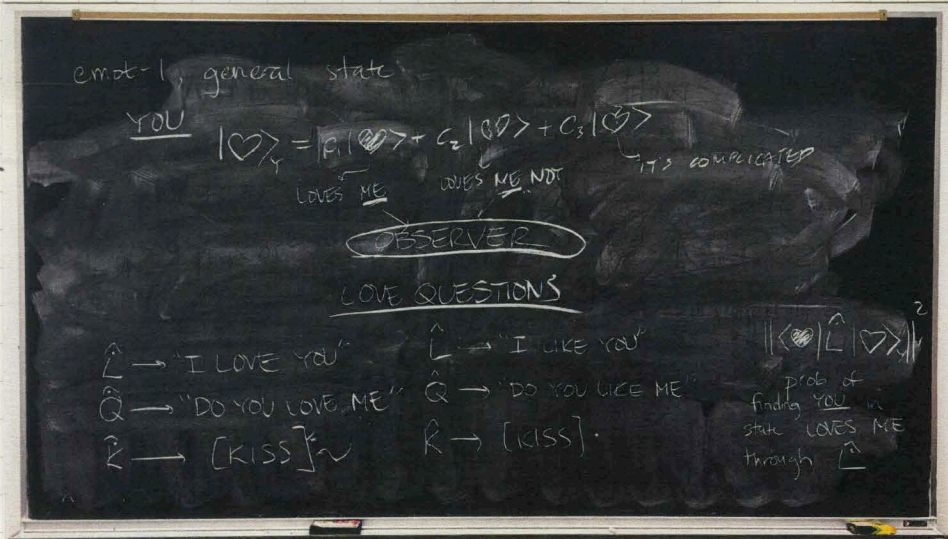
HIGHER EMOT VALUES HAVE MULTIPLE SHADES OF IT'S COMPLICATED,

SPLITTING INTO MULTIPLE ORTHOGONAL DIMENSIONS OF POSSIBLE MEASUREMENT.

EMOT VALUES CHANGE OVER TIME.

NOTES.

IV. LQS (OPERATORS IN QR).



4.1 INTRODUCTION TO LQS.

THE ONE-PERSON STATE OF YOU INVOKES ME, THE OBSERVER.

(THE CLASSICAL PARADOX OF EROS SEEPS INTO QUANTUM MATHEMATICS.)

MEASUREMENTS OF YOU ARE MADE BY ME THROUGH LOVE QUESTIONS:

INTERACTIONS THAT TELL ME ABOUT THE EMOT STATE OF YOU.

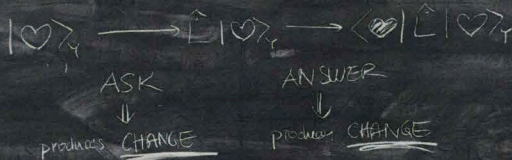
I MODEL THE PROBABILITY OF FINDING YOU IN THE STATE LOVES ME

AS MEASURED THROUGH THE LOVE QUESTION I LOVE YOU.

NOTES.

4.2 THE PRINCIPLE PARADOX OF INTERROGATIVE NECESSITY

to make a measurement:



i.e. LQs are NECESSARY for ALL measurements on entangled states.

$$\Rightarrow \|\langle\psi|\psi\rangle\|^2 = \text{UNDEFINED}$$

\Rightarrow ent states need not be normalized

\Rightarrow i.e. LQs must include normalization

MEASUREMENT MUST BE MADE THROUGH AN ASKING

WHICH PROVOKES AN ANSWERING. HENCE, INTERROGATIVE NECESSITY.

THE BEING ASKED, AND THE ANSWERING, PROVOKES CHANGE.

HENCE: PARADOX.

THE IDENTITY OPERATOR IS EXPERIMENTALLY MEANINGLESS.

NOTES.

4.3 THE PRINCIPLE PARADOX OF SUBJECTIVITY.

how to define operator of \hat{L} on $|\heartsuit\rangle$?

matrix mechanics:

$$\langle\heartsuit| \rightarrow (1 \ 0 \ 0)$$

$$|\heartsuit\rangle \rightarrow \begin{pmatrix} c_1 \\ c_2 \\ c_3 \end{pmatrix}$$

P.P.S

$$L_{M-Y} |\heartsuit\rangle \neq L_{O-Y} |\heartsuit\rangle$$

ME \rightarrow YOU OTHER \rightarrow YOU

$$L_{M-Y} \rightarrow \begin{pmatrix} \langle\heartsuit|L_{M-Y}|\heartsuit\rangle & \langle\heartsuit|L_{M-Y}|p\rangle & \langle\heartsuit|L_{M-Y}|q\rangle \\ \langle p|L_{M-Y}|\heartsuit\rangle & \langle p|L_{M-Y}|p\rangle & \langle p|L_{M-Y}|q\rangle \\ \langle q|L_{M-Y}|\heartsuit\rangle & \langle q|L_{M-Y}|p\rangle & \langle q|L_{M-Y}|q\rangle \end{pmatrix}$$

$L_{M-Y} = \langle\heartsuit|L_{M-Y}|\heartsuit\rangle$

ME $\xrightarrow{L_{M-Y}}$ $|\heartsuit\rangle$ $\xrightarrow{L_{O-Y}}$ OTHER

FOR EVERY YOU, THERE EXISTS A UNIQUE HILBERT-SOUL SPACE
OF EMO STATE VECTORS OF YOU.

FOR EVERY ME - YOU PAIR

EVERY OBSERVER - OBSERVEE PAIR

EVERY LOVER - BELOVED PAIR

THERE EXISTS A UNIQUE OPERATOR SPACE

OF LOVE QUESTIONS BETWEEN ME & YOU.

NOTES.

PROBLEM SET A
1. A 100 g sample of a substance is heated from 20°C to 100°C. The heat added is 10,000 J. Calculate the specific heat capacity of the substance.

PROBLEM SET 4.1

100 pts

+15 pts extra credit

SHOW YOUR WORK!

1. (10 pts) State a comparison that analogously illustrates the concept of infinite & continuous vs. finite & discrete.

Ex. all real numbers \mathbb{R} (infinite & continuous)

vs.

a subset of integers \mathbb{Z} (finite & discrete)

2. The state of an emot-1 person, YOU, is given by

$$|\heartsuit\rangle_Y = \frac{\sqrt{2}}{2} |\heartsuit\rangle_Y + \frac{3i}{4} |\spadesuit\rangle_Y + \frac{\sqrt{3}}{2} |\clubsuit\rangle_Y$$

a) (10 pts) Which of the following LQs in the operator space ME \rightarrow YOU are already normalized?

i. $\hat{L}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \frac{4}{\sqrt{29}} & 0 & 0 \\ 0 & \frac{4}{\sqrt{29}} & 0 \\ 0 & 0 & \frac{4}{\sqrt{29}} \end{pmatrix}$

ii. $\hat{Q}_{M \rightarrow Y} \rightarrow \begin{pmatrix} 2i & 3 & 0 \\ 0 & 4i & 3 \\ 3 & 0 & 3i \end{pmatrix}$

iii. $\hat{K}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \frac{\sqrt{2}}{3\sqrt{3}} & -\frac{2}{3\sqrt{3}}i & 0 \\ \frac{2}{3\sqrt{3}}i & -\frac{4}{3\sqrt{3}} & \frac{2}{3}i \\ 0 & -\frac{2}{3}i & \frac{2}{3\sqrt{3}} \end{pmatrix}$

2. (cont.)

b) (10 pts) Explain when normalization would be required & how it should be implemented.

3. Consider two observers, ALICE & BOB, whose strong-L LQs in the \rightarrow YOU operator space are given by

$$\hat{L}_{A \rightarrow Y} \rightarrow \begin{pmatrix} \frac{2\sqrt{2}}{\sqrt{27}} & \frac{4}{\sqrt{27}}i & 0 \\ -\frac{4}{\sqrt{27}}i & \frac{2\sqrt{2}}{\sqrt{27}} & \frac{6\sqrt{2}}{\sqrt{27}} \\ 0 & \frac{6\sqrt{2}}{\sqrt{27}} & \frac{2\sqrt{2}}{\sqrt{27}} \end{pmatrix}$$

$$\hat{L}_{B \rightarrow Y} \rightarrow \begin{pmatrix} \frac{4\sqrt{2}}{\sqrt{37}} & 0 & \frac{8i}{3\sqrt{37}} \\ \frac{2\sqrt{2}}{3\sqrt{37}}i & 0 & \frac{4\sqrt{3}}{3\sqrt{37}} \\ \frac{4\sqrt{2}}{3\sqrt{37}} & \frac{4}{3\sqrt{37}} & \frac{2\sqrt{3}}{3\sqrt{37}} \end{pmatrix}$$

Use the same YOU state given in problem 2.

- a) (5pts) What is the probability of ALICE measuring YOU in the state LOVES ME through strong-L, before BOB measures YOU?

b) (5 pts) What is the probability of BOB measuring YOU in the state LOVES ME through strong-L, before ALICE measures YOU?

c) (5 pts) What is the probability of ALICE measuring YOU in the state LOVES ME through strong-L, after BOB measures YOU through strong-L?

d) (5 pts) What is the probability of BOB measuring YOU in the state LOVES ME through strong-L, after ALICE measures YOU through strong-L?

e) (5 pts) If ALICE wants to find YOU in the state LOVES ME, should she measure YOU through strong-L before or after BOB does?

f) (5 pts) If BOB wants to find YOU in the state LOVES ME, should he measure YOU through strong-L before or after ALICE does?

g) (5 pts) Why is strong-L defined differently for ALICE & BOB?

4. Strong-L & strong-Q in the ME \rightarrow YOU operator space are given by

$$\hat{L}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \frac{\sqrt{3}}{9} & \frac{4}{9} & \frac{2\sqrt{3}}{9}i \\ \frac{2\sqrt{6}}{9} & \frac{2}{3} & \frac{1}{9} \\ 0 & \frac{2}{9} & \frac{\sqrt{3}}{9} \end{pmatrix}$$

$$\hat{Q}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \frac{4}{39} & \frac{20}{39\sqrt{2}}i & -\frac{20}{39\sqrt{2}}i \\ \frac{20}{39} & 0 & \frac{20\sqrt{3}}{39\sqrt{2}} \\ \frac{20}{39} & \frac{20}{39\sqrt{2}}i & \frac{4\sqrt{3}}{39\sqrt{2}} \end{pmatrix}$$

Using the same YOU state given in problem 2, what is the probability of finding YOU in the state LOVES ME through

a) (5 pts) strong-L ?

b) (5 pts) strong-Q?

c) (5 pts) strong-L followed by strong-Q?

d) (5 pts) strong-Q followed by strong-L?

e) (5 pts) If I want to find YOU in the state LOVES ME, which LQ(s) should I use and in what order?

5. (5 pts) Write 2-3 sentences from your perspective defending either position on ontological causality (discretization by origin or discretization by poiesis), as applied to QM, QR, or both.

EXTRA CREDIT (10 pts)

Consider the norm-factored LQ in the operator space

$ME \rightarrow YU$ given by

$$\hat{LQ}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \sqrt{2} & 0 & \sqrt{3} \\ 1 & i & \frac{\sqrt{3}}{2} \\ 0 & i & 0 \end{pmatrix}$$

Using the YU state from problem 2, what would be the normalization factor? What is the matrix representation of the normalized LQ?

EXTRA EXTRA CREDIT (1-5 pts)

Name up to five other common LQs not listed
in lecture. (1 pt per valid LQ)

SUPPLEMENTARY NOTES

Extra Extra Credit (1-2-13)
Name of the ...
...

SUPPLEMENTARY NOTES

QUANTUM ROMANTICS.

YOU

$$|\heartsuit\rangle_Y \longrightarrow \text{"LOVES ME"} \quad \begin{pmatrix} 1 \\ 0 \\ 0 \end{pmatrix}$$

$$|\heartsuit\heartsuit\rangle_Y \longrightarrow \text{"LOVES ME NOT"} \quad \begin{pmatrix} 0 \\ 1 \\ 0 \end{pmatrix}$$

$$|\heartsuit\rangle_Y \longrightarrow \text{"IT'S COMPLICATED"} \quad \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix}$$

$$|\heartsuit\rangle_Y = c_1 |\heartsuit\rangle_Y + c_2 |\heartsuit\heartsuit\rangle_Y + c_3 |\heartsuit\rangle_Y \quad \begin{pmatrix} c_1 \\ c_2 \\ c_3 \end{pmatrix}$$

emot-1 states.

ME

$$\hat{L}_M \longrightarrow \text{"I LOVE YOU"}$$

$$\hat{L}_M \longrightarrow \text{"I LIKE YOU"}$$

$$\hat{Q}_M \longrightarrow \text{"DO YOU LOVE ME"}$$

$$\hat{Q}_M \longrightarrow \text{"DO YOU LIKE ME"}$$

$$\hat{K}_M \longrightarrow [\text{KISS}] \sim$$

$$\hat{K}_M \longrightarrow [\text{KISS}] \cdot$$

love questions (operators).

ME \rightarrow YOU

$$\|\langle \heartsuit | \hat{L}_{M \rightarrow Y} | \heartsuit \rangle_Y\|^2 = ?$$

$$\|\langle \heartsuit | \hat{L}_{M \rightarrow Y} | \heartsuit \rangle_Y\|^2 = ?$$

$$\|\langle \heartsuit | \hat{Q}_{M \rightarrow Y} | \heartsuit \rangle_Y\|^2 = ?$$

$$\|\langle \heartsuit | \hat{Q}_{M \rightarrow Y} | \heartsuit \rangle_Y\|^2 = ?$$

$$\|\langle \heartsuit | \hat{K}_{M \rightarrow Y} | \heartsuit \rangle_Y\|^2 = ?$$

$$\|\langle \heartsuit | \hat{K}_{M \rightarrow Y} | \heartsuit \rangle_Y\|^2 = ?$$

$$\hat{L}_{Q_{M \rightarrow Y} ij} = \langle \heartsuit_i | \hat{L}_{Q_{M \rightarrow Y}} | \heartsuit_j \rangle$$

measured probabilities.

100

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + |\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle - |\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + i|\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + e^{i\theta}|\downarrow\rangle)$$

normalized states

ME

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + |\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle - |\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + i|\downarrow\rangle)$$

normalized states

ME

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + |\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle - |\downarrow\rangle)$$

$$|\psi\rangle = \frac{1}{\sqrt{2}}(|\uparrow\rangle + i|\downarrow\rangle)$$

normalized states

normalized states

PRINCIPLE PARADOXES OF QR.

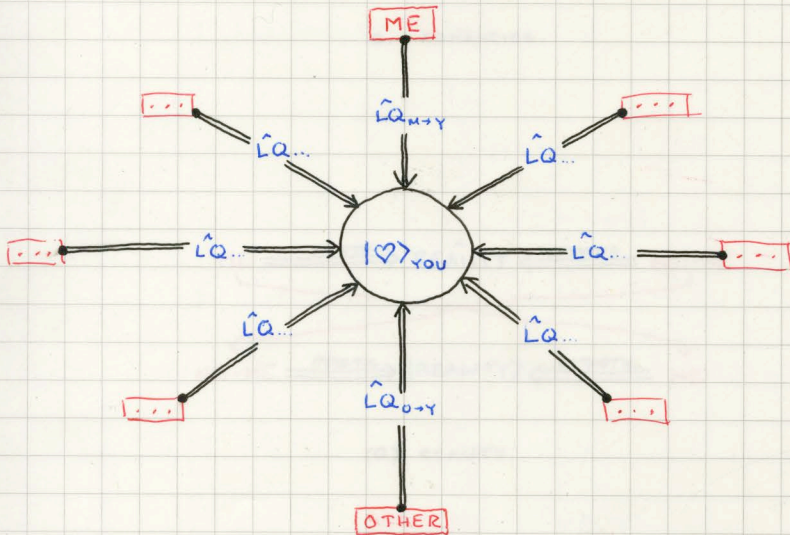
1. THE PRINCIPLE PARADOX OF INTERROGATIVE NECESSITY. (PP. IN)

$$\| \langle \heartsuit | \heartsuit \rangle_y \|^2 = \text{UNDEFINED}$$

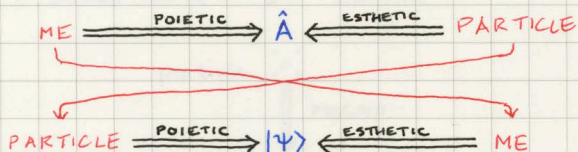
(the identity operator is experimentally meaningless.)

- i. LQs are necessary for ALL measurements of emot states.
- ii. emot states need not be normalized.
- iii. asked states must be normalized before calculating probability.

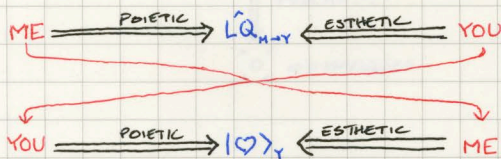
2. THE PRINCIPLE PARADOX OF SUBJECTIVITY. (PP. IN)



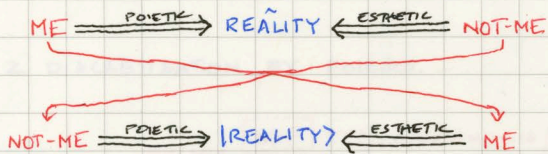
QUANTUM SEMIOTICS.



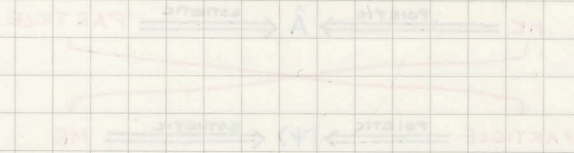
Q. MECHANICS.



Q. ROMANTICS.



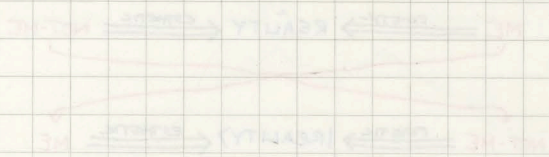
(Q.) REALITY.



2. MECHANICS



3. MECHANICS



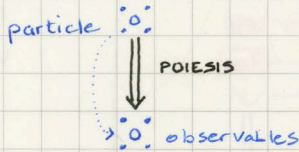
4. MECHANICS

ONTOLOGICAL CAUSALTY.

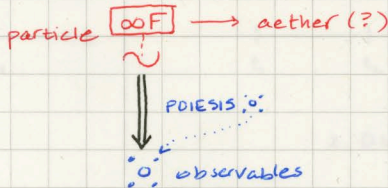
WHY IS REALITY $\circ\circ$ AND \circ ?

QM.

1. DISCRETIZATION BY ORIGIN.

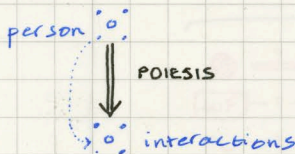


2. DISCRETIZATION BY POIESIS.

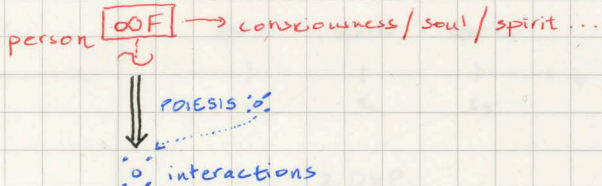


QR.

1. DISCRETIZATION BY ORIGIN.



2. DISCRETIZATION BY POIESIS.



ONTOGENETIC DEVELOPMENT

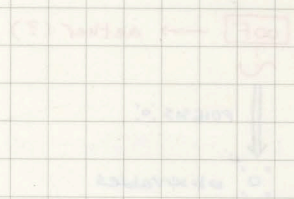
WHY IS BEAKS IN AND OUT

ON

1. DISCRETION BY BEAK

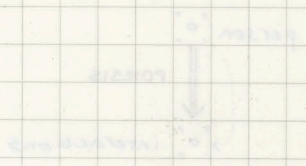


2. DISCRETION BY BEAKS



OR

1. DISCRETION BY BEAK

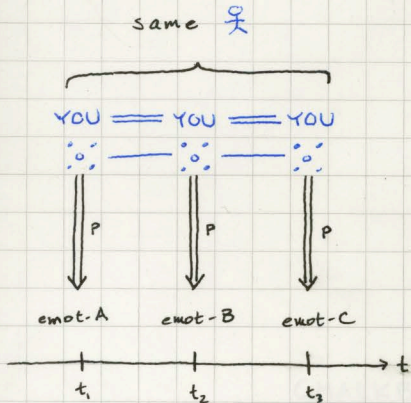


2. DISCRETION BY BEAKS

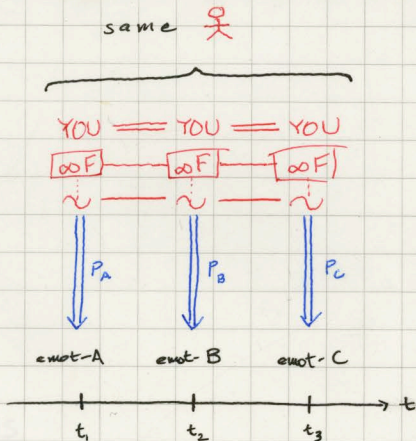


TEMPORAL MUTABILITY (THEORY OF CHANGE).

Q.R.

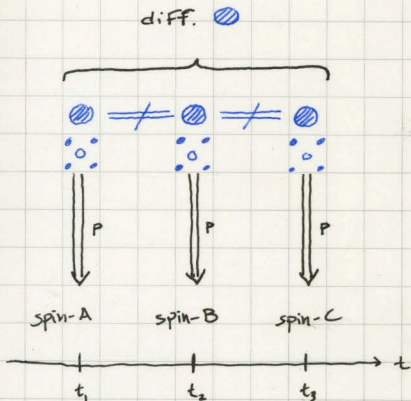


1. Dbo.

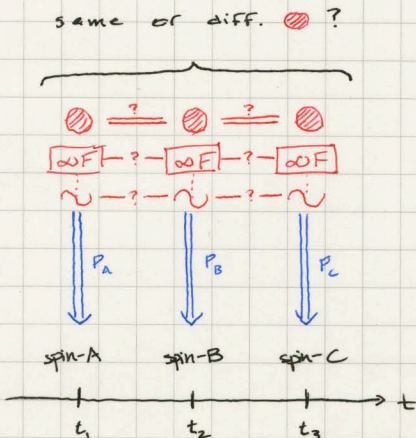


2. DbP.

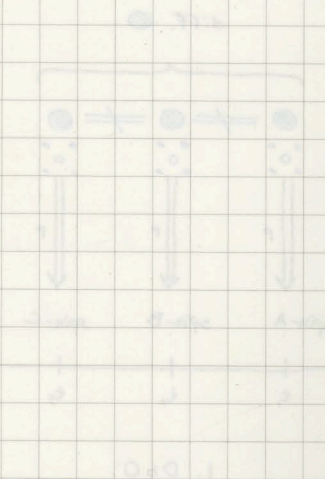
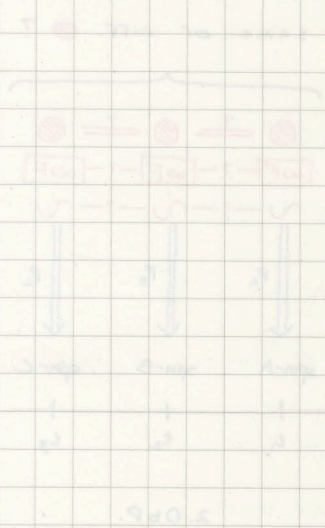
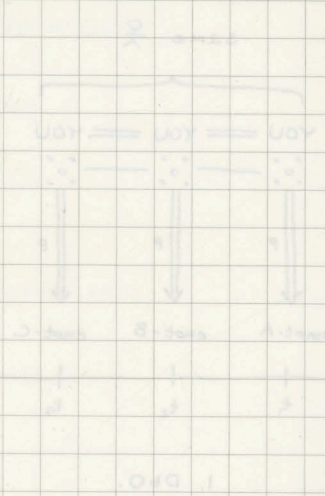
Q.M.



1. Dbo.

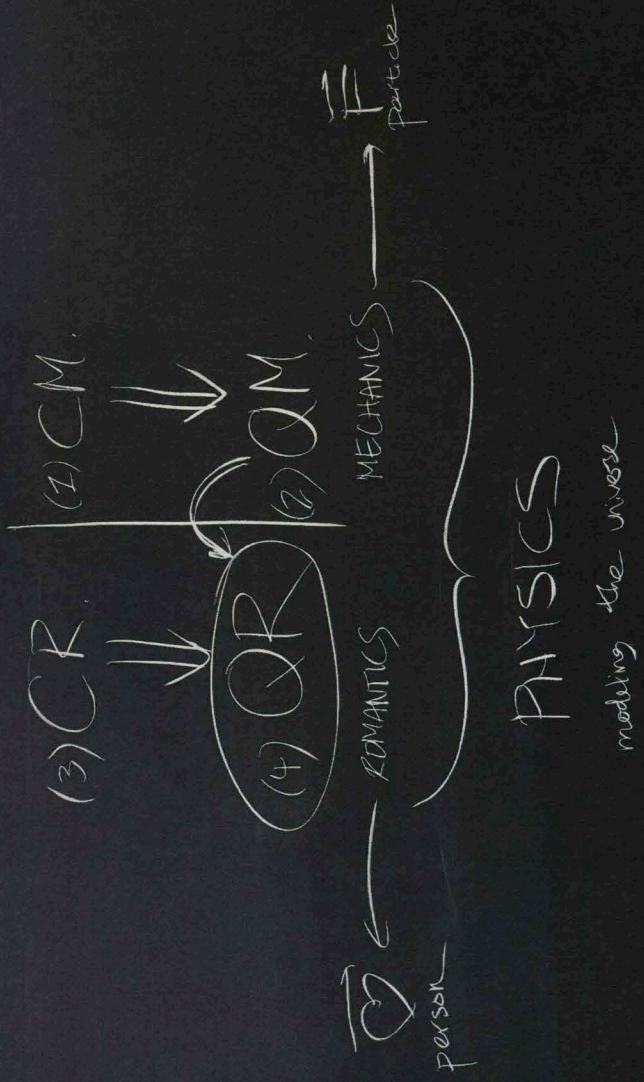


2. DbP.



CHALKBOARDS

CHALKBOARD



QM.

SPIN

(classical) $\vec{\mu}$

$$\vec{\mu} = \gamma \vec{L} \quad \text{with } \gamma = \frac{q\hbar}{2mc}$$

$\vec{L} \rightarrow (-\hbar, +\hbar)$

ACTUAL: $\mu_z = \pm \frac{1}{2} \hbar \gamma$ DISCRETE
 \downarrow FINITE
spin- $\frac{1}{2}$
(NEW TO QM)

POSITION & MOMENTUM

(same as classical)

$$\vec{x} \neq \vec{p}$$

ACTUAL:

\rightarrow DISCRETE, FINITE

CANONICALLY
CONJUGATE,

$$\Delta x \Delta p \geq \frac{\hbar}{2}$$

Q.R.

PERSONS
[particles]

STATUS [pds/mom]
(Same as classical)

ACTUAL DEF

CANONICALLY
CONJUGATE

$$\Delta e \Delta s \geq \frac{\hbar}{2}$$

EMOTION

[spm]

(classical) FEELING
↳ I & C

ACTUAL DEF

WHY ARE ALL MEASUREMENTS FINITE & DISCRETE?

1. ORIGIN

particles: D & F

↓
observables: D & F

by "nature"

2. POIESIS

particles: I & C

↓
process of CREATING
IS DISCRETIZING

observables: D & F

by PROCESS

(of constructing reality)

WHY ARE ALL INTERACTIONS

NOTION FINITE & DISCRETE?

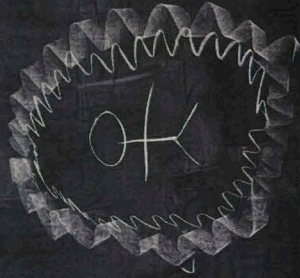
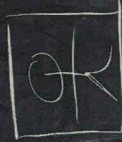
1. ORIGIN

persons: D&F



interactions: D&F

by "nature"



2. POESIS

persons: I&C

process of
communicating
is discrete



interactions: D&F

by PROCESS

of creating relationships

QM

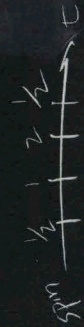
spin-1/2 $|+\uparrow\rangle$ $|-\uparrow\rangle$

$|\frac{1}{2}, +\frac{1}{2}\rangle$ $|\frac{1}{2}, -\frac{1}{2}\rangle$

spin-1: $|1, 1\rangle$ $|1, 0\rangle$ $|1, -1\rangle$

higher spin, more bases

orbital angular momentum $\neq (?)$



QR

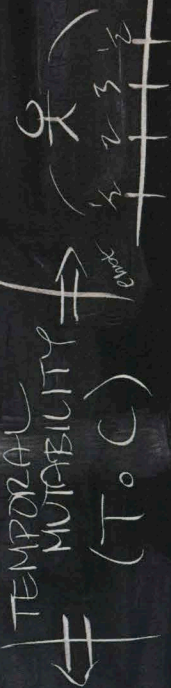
emot-1/2: $|\heartsuit\rangle$ $|\spadesuit\rangle$

"LOVES ME" \swarrow \searrow "LOVES ME NOT"

emot-1: $|\heartsuit\rangle$ $|\spadesuit\rangle$ $|\clubsuit\rangle$

"IT'S COMPLICATED"

higher emot, more STAGES OF COMPLICATION
 $|\heartsuit\rangle$ & $|\spadesuit\rangle$ always possible!



same \uparrow ,
diff. emot values!

embd-1, general state

YOU $|\heartsuit\rangle = c_1|\heartsuit\rangle + c_2|\heartsuit\rangle + c_3|\heartsuit\rangle$

IT'S COMPLICATED

LOVES ME
LOVES ME NOT

OBSERVER

LOVE QUESTIONS

$\hat{L} \rightarrow$ "I LOVE YOU"
 $\hat{Q} \rightarrow$ "DO YOU LOVE ME"
 $\hat{R} \rightarrow$ [KISS]

$\hat{L} \rightarrow$ "I LIKE YOU"

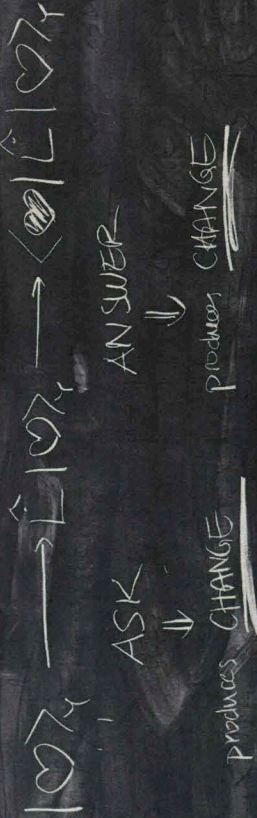
$\hat{Q} \rightarrow$ "DO YOU LIKE ME"

$\hat{R} \rightarrow$ [KISS].

$\|\langle \hat{Q} | \hat{L} | \heartsuit \rangle\|^2$

Prob of finding YOU in state LOVES ME through \hat{L}

to make a measurement:-



∴ LQs are NECESSARY for ALL measurements ON embt states.

$$\Rightarrow \|\langle \psi | \psi \rangle\|^2 = \text{UNDEFINED}$$

⇒ w embt states need not be normalized.

⇒ w LQs must include normalization

how to define operator of \hat{L} on $|\psi\rangle_Y$?

matrix mechanics:

$$|c_1\rangle_Y \rightarrow (1 \ 0 \ 0)$$

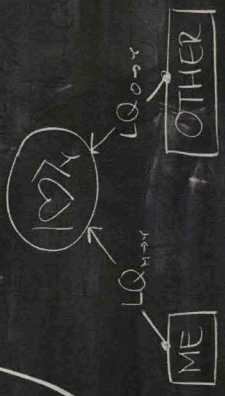
$$|\psi\rangle_Y \rightarrow \begin{pmatrix} c_1 \\ c_2 \\ c_3 \end{pmatrix}$$

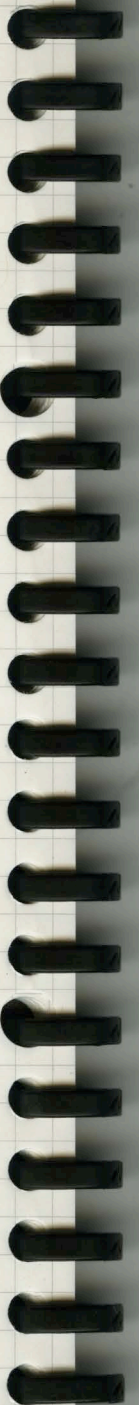
$$\hat{L}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \langle c_1 | \hat{L}_{M \rightarrow Y} | c_1 \rangle_Y & \langle c_1 | \hat{L}_{M \rightarrow Y} | c_2 \rangle_Y & \langle c_1 | \hat{L}_{M \rightarrow Y} | c_3 \rangle_Y \\ \langle c_2 | \hat{L}_{M \rightarrow Y} | c_1 \rangle_Y & \langle c_2 | \hat{L}_{M \rightarrow Y} | c_2 \rangle_Y & \langle c_2 | \hat{L}_{M \rightarrow Y} | c_3 \rangle_Y \\ \langle c_3 | \hat{L}_{M \rightarrow Y} | c_1 \rangle_Y & \langle c_3 | \hat{L}_{M \rightarrow Y} | c_2 \rangle_Y & \langle c_3 | \hat{L}_{M \rightarrow Y} | c_3 \rangle_Y \end{pmatrix}$$

$$\hat{L}_{M \rightarrow Y} = \langle c_i | \hat{L}_{M \rightarrow Y} | c_j \rangle$$

PP.S

$$\hat{L}_{M \rightarrow Y} |\psi\rangle_Y \neq \hat{L}_{O \rightarrow Y} |\psi\rangle_Y$$





Handwritten text in blue ink, including the word "SOLUTION" and some illegible scribbles.

FURTHER READING.

CM.

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